## **SNOW MELT MODELLING**

## Dr MANOHAR ARORA National Institute of Hydrology, Roorkee





#### **GLOBAL ICE DISTRIBUTION**

**Total Land Area** ~ 136,000,000 km2 ~ 374,000,000 km2 **Total Sea Area** ~15,861,766 km2 **Total Ice covered area** (~11% of land area) ~550,000 km2 Mountain glaciers/icecaps (~ **3.5%** of total ice) (50%N. America, 44% Eurasia) Frozen fresh water in polar ice ~ 29,000,000 km3 (~ 75% of world's fresh water)



#### **GLOBAL ICE DISTRIBUTION**

Region	Surface area (km2)
Antarctica	13, 586,310
Greenland	1,736,400
North America	276,100
Asia and CIS	185,211
Europe	53,967
South America	25,908
New Zealand/subant	tactic islands 7,860
Total	15,681,766



## **FRESH WATER DISTRIBUTION**

Source	Volume	in (%)
	(10 <sup>6</sup> ×km <sup>3</sup> )	
Polar ice caps and	29.00	77.33
glaciers <b>–</b>	$\Rightarrow$	
Groundwater in depths up	4.15	11.07
to 800m		
Groundwater in depths	4.15	11.07
below 800m		
Lake, rivers and streams	0.12	0.32
Soil mositure and seepage	0.067	0.18
Atmospheric water vapour	0.013	0.03
Total	37.50	100.0

## HIMALAYAN WATER RESOURCES

• About 35% of the geographical area of India is covered by mountains and 58% of this is accounted for by the mighty Himalayas.

• There are 22 major river systems lying in the Himalayas, which originate from the snow and glacier covered areas and cover about 1× 10<sup>6</sup> km<sup>2</sup> mountainous catchment area.

• In some Himalayan rivers average contribution of snow and glacier melt runoff to the annual streamflow near the foothills is more than 50%.

• There are more than 9575 glaciers in the Indian Himalayan region, covering about 38000 km<sup>2</sup> area.

• Glacier extent in the Karakoram, Hindukush and Nanga Parbat in the Himalayan region is about 10 times greater than the Alps.

•Himalayan Rivers receive substantial contribution from the melting of snow and glaciers. Major share of runoff, during summer, comes from seasonal snowmelt and glaciers. This is considered a dependable source of water for irrigation, hydroelectric power and drinking water.  Total annual discharge of the country: 1880 km<sup>3</sup>

 Snow and ice dominated Himalayan rivers viz. Indus, Ganges and Brahmaputra provide annual average flow of 206, 488 and 510 km<sup>3</sup> (total of 3 rivers: 1204 km<sup>3</sup>, i.e., ~ 64% of total water resources of India)

 Average water yield per unit area of the Himalayan rivers is almost double than that of the southern peninsular river system indicating importance of snow and glacier melt.

#### **Principal glacier-fed river systems of the Himalaya**

River	Major River	Mountain	Glacier Area	% Glaciations
	System	Area (km²)	(km²)	
Indus		268842	7890	3.3
Jhelum		33670	170	5.0
Chenab		27195	2944	10.0
Ravi	Indus System	8092	206	2.5
Sutlej		47915	1295	2.7
Beas		12504	638	4.4
Jamuna		11655	125	1.1
Ganga		23051	2312	10.0
Ramganga		06734	3	0.04
Kali		16317	997	6.01
Karnali	Ganga System	53354	1543	2.9
Gandar		37814	1845	4.9
Kosi		61901	1281	2.1
Tista		12432	495	4.0
Raikad		26418	195	0.7
Nanas		31080	528	1.7
Subansiri	Brahmaputra	81130	725	4.0
Brahmaputra	System	256928	108	0.4
Dibang		12950	90	0.7
Lohit		20720	425	2.0



## AVERAGE SNOW COVERED AREA IN DIFFERENT HIMALAYAN BASINS

Basin	Total Area (km <sup>2</sup> )	Max. SCA (km <sup>2</sup> )	Min. SCA (km <sup>2</sup> )
Chenab Basin up to Akhnoor	. 22200	15590 (70%)	5400 (24%)
Ganga Basin up to Devpray	<b>19700</b> ag	<b>9080 (46%)</b>	3800 (19%)
Satluj Basin up to Bhakra l	22275 Dam	14498 (65%)	<b>4528 (20%)</b>
Beas Basin up to Pandoh	5278 Dam	2700 (51%)	780 (14%)

## **SNOW AND GLACIER MELT RUNOFF IN DIFFERENT HIMALAYAN BASINS**

River	Site	Av. snow & glaciers melt contribution to annual flows
<b>Chenab River</b>	Akhnoor	<b>49%</b>
Satluj River (Indian part)	Bhakra Dam	60%
Ganga River	Devprayag	30%

## Snow Melt Runoff Simulation Models

- Snowmelt Model
- Transformation Model

The snowmelt model generates liquid water from the snowpack that is available for runoff. The transformation model converts the liquid output at the ground surface to runoff at the basin outlet.

- Lumped Whole catchment as a single unit
- Distributed These models account for the spatial variability

Lumped and Distributed models can be further classified as

- Energy balance
- Temperature index

#### **ENERGY BALANCE AND MODELLING STUDIES**



Snow and glacier melt runoff modelling using energy balance approach is complex.



Availability of climatic data *viz*. Radiation, turbulent heat exchange, albedo, cloudiness, wind speeds etc. is required.



A temperature index or the degree day - approach is generally considered to be a good model of heat transfer.



Air temperatures are generally most readily available data in high altitude regions.

## **Energy Balance Approach**

The energy balance equation can be written in the form :

 $Q_m = Q_n + Q_h + Q_e + Q_p + Q_g + Q_q$ 

**Q**<sub>m</sub> = heat used for melting

**Q**<sub>n</sub> = net radiation (long and short wave)

- **Q**<sub>e</sub> = latent heat transfer
- **Q**<sub>h</sub> = sensible heat transfer

**Q**<sub>p</sub> = the heat content of rain water

- Q<sub>g</sub> = the heat gained through conduction from underground
- Q<sub>q</sub> = the change of internal energy storage of the snowpack

Air temperature expressed as degree-days are used in snowmelt computations as an index of the complex energy balance tending to snowmelt.

A unit expressing the amount of heat in terms of persistence of a temperature for 24-hour period of 1°C departure from a reference temperature.

**Expression relating snowmelt to TI :**  $M = D(T_i - T_b)$ 

Daily mean temperature is most commonly used index temperature for snowmelt.  $T_i = T_{mean} = (T_{max} + T_{min})/2$ 



When the basin is subdivided based on elevation zones, the degree days are extrapolated to an elevation zone by using a a suitable lapse rate i.e.,  $T_{ii} = \delta (h_z - h_{st})$ 

## MODELLING OF SNOW AND GLACIER MELT RUNOFF

- Division of a basin into elevation zones
- Handling of meteorological data temperature distribution precipitation distribution
- Form of precipitation
- Depletion of snow covered area
- Glacier extent and its exposing trends
- Rain-induced melt
- Accounting of losses
- Routing of surface and subsurface flow



Flow chart of the snowmelt model (SNOWMOD)

### Precipitation

if  $T_m \ge T_c$ , precipitation is considered as rain if  $T_m \le 0^\circ C$ , precipitation is considered as snow

**T**<sub>m</sub> = **Daily mean temperature T**<sub>c</sub> = **Critical temperature** 

In case,  $T_m \ge 0^{\circ}C$  and  $T_m \le T_c$ , the precipitation is considered as a mixture of rain and snow and their proportion is determined as follows

> $Rain = (T_m / T_c) \times P$ Snow = P - Rain

P is total observed precipitation

#### Melt, temperature and degree-days

 $\mathbf{M} = \mathbf{D} \left( \mathbf{T}_{\mathbf{i}} - \mathbf{T}_{\mathbf{b}} \right)$ 

M = depth of melt water (mm) produced in a unit time, D = degree-day factor (mm  $^{\circ}C^{-1} d^{-1}$ ),

- $T_i = index air temperature (°C),$
- $T_b$  = base temperature (usually, 0°C)

 $T_{\text{mean}}$  or the number of degree-days are computed as

 $\mathbf{T}_{i} = \mathbf{T}_{mean} = (\mathbf{T}_{max} + \mathbf{T}_{min})/2$ 

### **Temperature Extrapolation**

**Temperature extrapolation for each elevation zone using temperature lapse rate** 

$$\mathbf{T}_{i,j} = \mathbf{T}_{i,\text{base}} - \delta \left( \mathbf{h}_j - \mathbf{h}_{\text{base}} \right)$$

 $\begin{array}{ll} T_{i,j} & \text{is daily mean temp. on } i^{th} \ day \ in \ j^{th} \ zone & (^{\circ}C) \\ T_{i,base} & \text{is daily mean temp. } (^{\circ}C) \ on \ i^{th} \ day \ at \ base \ station \\ h_{j} & \text{is zonal hypsometric mean elevation } (m) \\ h_{base} & \text{is elevation of base station } (m) \ and \\ \delta & \text{is temperature lapse rate } (^{\circ}C/100m) \end{array}$ 

## **Computation of different components of runoff** (i) Surface runoff from glaciated area

(a) Melt runoff for each elevation zone of the basin was computed using degree-day approach and extent of SCA in that zone.

 $\mathbf{M}_{s,i,j} = \mathbf{C}_{s,i,j} \mathbf{D}_{i,j} \mathbf{T}_{i,j} \mathbf{S}_{c,i,j}$ 

**M**<sub>s,i,j</sub> = snowmelt in terms of depth of water on i<sup>th</sup> day for j<sup>th</sup> zone (mm d<sup>-1</sup>)

$$\begin{split} &C_{s,i,,j} = \text{runoff coeff. for snow melt on } i^{\text{th}} \text{ day for } j^{\text{th}} \text{ zone} \\ &D_{i,j} = \text{degree-day factor on } i^{\text{th}} \text{ day for } j^{\text{th}} \text{ zone } (\text{mm}^{\text{o}}\text{C}^{-1}\text{d}^{-1}) \\ &T_{i,j} = \text{temperature on } i^{\text{th}} \text{ day for } j^{\text{th}} \text{ zone } (^{\text{o}}\text{C}) \\ &S_{c,i,,j} = \text{ratio of SCA to the total area of } j^{\text{th}} \text{ zone on } i^{\text{th}} \text{ day} \end{split}$$

#### **Rain induced melt**

$$Q_p = \rho C_p (T_r - T_s) P_r / 1000$$

- $Q_p$  = energy supplied to the pack by rain (kJ m<sup>-2</sup>d<sup>-1</sup>)  $\rho$  = density of water (1000 kg m<sup>-3</sup>)  $C_p$  = specific heat of water (4.20 kJ kg <sup>-1 0</sup>C<sup>-1</sup>)  $T_r$  = temperature of rain (°C)  $T_s$  = temperature of snow/ice (°C)
- $P_r$  = depth of rain (mm d<sup>-1</sup>)

**Substituting the values of various parameters** 

$$Q_p = 4.2 T_r P_r$$

Usually, rain temperature is considered equal to the air temperature on that day. The melt caused by this energy is computed as

$$M_r = Q_p / (\rho h_f B) = Q_p / 325$$
  
 $M_r = 4.2 T_r P_r / 325$ 

or

 $M_r$  is melt caused by the energy of rain (mm d <sup>-1</sup>)  $h_f$  is the latent heat of fusion of water (335 kJ kg<sup>-1</sup>) B is the thermal quality of snow (0.95-0.97) (b) The depth of snowmelt caused by rain in a elevation zone

$$M_{r,i,j} = 4.2 T_{i,j} P_{i,j} S_{c,i,j} / 325$$

$$\begin{split} \mathbf{M}_{r,i,j} &= \text{snowmelt in terms of depth of water due to} \\ & \text{rain on snow on } i^{\text{th}} \text{ day for } j^{\text{th}} \text{ zone } (\text{mm d}^{-1}) \\ \mathbf{P}_{i,j} &= \text{rainfall on snow on } i^{\text{th}} \text{ day for } j^{\text{th}} \text{ zone } (\text{mm d}^{-1}) \end{split}$$

(c) Runoff depth from rain itself falling over SCA

 $\mathbf{R}_{s,i,j} = \mathbf{C}_{s,i,j} \mathbf{P}_{i,j} \mathbf{S}_{c,i,j}$ 

Thus, daily total discharge from the SCA is computed by adding contribution from each elevation zone. Thus, discharge from the SCA for all the zones is given by

$$\mathbf{Q}_{\text{sca}} = \boldsymbol{\alpha} \left( \mathbf{M}_{\text{s,i,j}} + \mathbf{M}_{\text{r,i,j}} + \mathbf{R}_{\text{s,i,j}} \right) \mathbf{A}_{\text{sca,i,j}}$$

 $\begin{array}{l} n \text{ is the total number of zones,} \\ A_{sca,i,j} \quad is SCA \text{ in the } j^{th} \text{ zone on the } i^{th} \text{ day } (km^2) \\ \alpha \quad is \text{ a factor } (1000/86400 \text{ or } 0.0116 \text{ ) used to convert} \\ \text{ the runoff depth } (mm \ d^{-1}) \text{ into discharge } (m^3 \ s^{-1}) \end{array}$ 

#### **Surface runoff from snow/ice free area**

$$\mathbf{R}_{\mathbf{f},\mathbf{i},\mathbf{j}} = \mathbf{C}_{\mathbf{r},\mathbf{i},\mathbf{j}} \mathbf{P}_{\mathbf{i},\mathbf{j}} \mathbf{S}_{\mathbf{f},\mathbf{i},\mathbf{j}}$$

 $\begin{array}{ll} P_{i,j} &= rainfall \ on \ snow \ on \ i^{th} \ day \ for \ j^{th} \ zone \ (mm \ d^{-1}) \\ C_{r,i,j} &= coefficient \ of \ runoff \ for \ rain \ on \ i^{th} \ day \ for \ j^{th} \ zone \\ S_{f,i,j} &= ratio \ of \ SFA \ to \ the \ total \ area \ of \ j^{th} \ zone \ on \ i^{th} \ day \end{array}$ 

**Total runoff from SFA for all the zones is thus given by** 

 $\mathbf{Q}_{sfa} = \alpha \mathbf{R}_{f,i,j} \mathbf{A}_{sfa,i,j}$ 

 $A_{sfa,i,j} \mbox{ is snow free area in the } j^{th} \mbox{ zone on the } i^{th} \mbox{ day}$ 

#### **Estimation of subsurface runoff**

$$\mathbf{R}_{b,i,j} = \beta \left[ (1 - C_{r,i,j}) \ \mathbf{R}_{f,i,j} + (1 - C_{s,i,j}) \ \mathbf{M}_{t,i,j} \right]$$

$$M_{t,i,j} = M_{s,i,j} + M_{r,i,j} + R_{s,i,j,j}$$
 and  $\beta$  is 0.50

Subsurface runoff was computed by multiplying the depth with conversion factor  $\alpha$  and area

 $\mathbf{Q}_{\mathbf{b}} = \boldsymbol{\alpha} \mathbf{R}_{\mathbf{b},\mathbf{i},\mathbf{j}} \mathbf{A}_{\mathbf{i},\mathbf{j}}$ 

 $A_{i,j}$  is the total area (km<sup>2</sup>) of zone j on i<sup>th</sup> day and represents the sum of  $A_{sca,i,j}$  and  $A_{sfa,i,j}$ .

#### **TOTAL STREAMFLOW**

 $\mathbf{Q} = \mathbf{Q}_{\mathbf{sca}} + \mathbf{Q}_{\mathbf{sfa}} + \mathbf{Q}_{\mathbf{b}}$ 

## **ROUTING OF DIFFERENT COMPONENTS OF RUNOFF**

(i) Routing of surface runoff

 $Q_{n+1, j+1} = C_0 Q_{n, j+1} + C_1 Q_{n, j} + C_2 Q_{n+1, j}$ n and j represent the reservoir number and time index, respectively For a linear reservoir,  $C_0 = C_1$  and therefore, the equation representing the outflow from the n<sup>th</sup> reservoir is simplified as

$$Q_{n+1, j+1} = 2C_1 \overline{Q}_{n, j+1} + C_2 Q_{n+1, j}$$
  

$$\overline{Q}_{n, j+1} = (Q_{n, j+1} + Q_{n, j})/2$$
  

$$C_0 = (dl t/k) / (2 + dl t/k)$$
  

$$C_1 = C_0$$
  

$$C_2 = (2 - dl t/k) / (2 + dl t/k)$$

Here  $C_0$ ,  $C_1$ ,  $C_2$  are the routing coefficients and the sum of these coefficients equals unity, i.e.

$$C_0 + C_1 + C_2 = 1$$

# The storage coefficients were related to SCA and SFA in the nonlinear form

 $\mathbf{k}_{\mathbf{r}} = \mathbf{a}_{\mathbf{r}} (\mathbf{A}_{\mathbf{sfa}})^{\mathbf{br}}$ 

 $\mathbf{k}_{s} = \mathbf{a}_{s} (\mathbf{A}_{esca})^{bs}$ 

- **k**<sub>r</sub> = storage coefficient for SFA
- **k**<sub>s</sub> = storage coefficient for SCA
- $A_{sfa}$  = total snow free area in the basin
- **A**<sub>esca</sub> = total effective snow covered area in the basin
- $a_r$  and  $b_r$  = model parameters for SFA
- $a_s$  and  $b_s$  = model parameters for effective SCA

#### (ii) Routing of subsurface runoff

 $\mathbf{Q}(\mathbf{t}) = \mathbf{Q}_0 \, \mathbf{e}^{-t/k}$ 

 $Q_0$  is the discharge at time t = 0

The parameter k is known as recession constant, or the depletion factor. In the logarithm form this equation can be written as

 $\ln \mathbf{Q} = \ln \mathbf{Q}_0 - \mathbf{t/k}$ 

#### SALIENT FEATURES OF SATLUJ BASIN

**Location : Western Himalayas** 

**Basin** Area (Indian part) : 22,275 km<sup>2</sup>

Elevation Range: 500-7000 m.

Mean elevation: 3600 m

Snow covered area : About 65% after winter Glacierized area : About 10%

Important hydropower scheme: Bhakra Dam (1000 MW)



Figure 1: Observed and simulated daily streamflow for the Satluj River at Bhakra for a period of 3 years (1985/86 - 1987/88)



Figure 1: Observed and simulated daily streamflow for the Satluj river at Bhakra for a period of 3 years (1988/89 - 1990/91)


Figure 4: Observed and simulated daily streamflow for the Satluj River at Bhakra for a period of 3 years (1996/97 - 1998/99).





### **MODEL EFFICIENCY**

Year	<b>R</b> <sup>2</sup>	$D_{\mathrm{v}}$
1985/86	0.93	-2.1
1986/87	0.85	-10.9
1987/88	0.88	-2.4
1988/89	0.90	-2.6
1989/90	0.89	-4.2
1990/91	0.90	0.3
1996/97	0.87	-9.3
1997/98	0.88	-8.8
1998/99	0.85	-3.3
Over 9 years	0.90	-3.3





## SALIENT FEATURES OF GANGOTRI GLACIER



Type: Valley Glacier

Approach : 18 km trekking

**Elevation : ~ 4000-7000 m** 

Length : ~ 30 km

Glacierized Area : ~ 286 km<sup>2</sup>

Catchment Area : ~ 556 km<sup>2</sup>



#### A view of snout of the Gangotri Glacier (Gomukh)



#### Ice wall near at the snout of Gangotri Glacier



## **DATA COLLECTION**

## **Discharge (round the clock) (May-October):**

- Establishment of gauging site
- Stilling well, water level recorder

## **Meteorological parameters**

- Rainfall
- Temperature
- Wind speed and direction
- Relative humidity
- Sunshine hours
- Evaporation

## **Suspended sediment**

Suspended sediment concentration



#### **Meteorological Observatory near the Gangotri Glacier**



#### A view of gauging site near the Gangotri Glacier



Different components of simulated runoff for summer season (2005-2007) for the Gangotri Glacier.

Percentage difference in volume, model efficiency and contributions of rainfall, snowmelt and base flow computed by the model.

Year	Model	Percentage	Model	Rain	Snow	<b>Base flow</b>
		Diff. in	efficiency (%)	(%)	(%)	(%)
		Vol.				
2005	Snowmod	-4.01	90	4.00	85.10	10.90
2006	Snowmod	-1.61	95	2.06	86.34	11.60
2007	Snowmod	0.29	93	1.30	86.39	12.31

## **Chenab Basin Study**

Elevation of the study area varies from
~ 305 m to 7500 m.

- Mean elevation of the basin is about 3600 m.s.l.
- Total catchment area up to Akhnoor is 22,200 km<sup>2</sup>.
- > Total Number of Glaciers is 989.
- Glacierized Area is 2280 sq km.









A comparison of observed and simulated discharge of the Chenab River at Salal Dam for the calibration period (1996/1997 to 1998/1999).

# Model efficiency for the calibration period (1996/1997, 1997/1998 and 1998/1999)

Period	R <sup>2</sup>	Volume difference (%)
1996/1997	0.87	7.07
1997/1998	0.94	0.98
1998/1999	0.86	9.91
1996/1997 to 1998/1999	0.91	2.48



A comparison of observed and simulated discharge of the Chenab River at Salal Dam for the simulation period (1999/2000 to 2001/2002).

# Model efficiency for the simulation period (1999/2000, 2000/2001 and 2001/2002)

Period	R <sup>2</sup>	Volume difference(%)
1999/2000	0.91	1.73
2000/2001	0.90	7.97
2001/2002	0.91	3.95
1999/2000 to 2001/2002	0.92	6.6





For a temperature increase of 2°C, the variation in annual streamflow is computed to be 18, 13, 22, 24, 22 and 19% respectively for 1996/1997, 1997/1998, 1998/1999, 1999/2000, 2000/2001 and 2001/2002.

\*\*

The average value of increase in total streamflow runoff for T+1°C, T+2°C and T+3°C are obtained to be 7%, 19% and 28% respectively.

#### **The Dokriani Glacier**





- Total drainage area up to the gauging site ~ 16.13km<sup>2</sup>
- > 9.66 km<sup>2</sup> (60%) is covered by snow and ice.
- **Elevation range 3950-5800 m.**
- > Length ~ 5.5 km, Width ~ 0.1-2.0 km.
- Maximum glacier area (12.86%) lies in 5000-5100m range and 12.44% in the 5100-5200m.





Months

Observed and simulated daily discharge for the summer 1997 for the Dokriani Glacier in Garhwal Himalayas.



Observed and simulated daily discharge for the summer 1998 for the Dokriani Glacier in Garhwal Himalayas

➤ The contribution of glacier melt: 87%

**The contribution of rainfall: 13%** 

**For a temperature rise of 2°C** 

Increase in summer stream-flow: 28%.



Flow duration curves of the Dokriani Glacier for 1997 and 1998: baseline and other scenarios.



Under different rainfall scenarios: Percent change in flow with different dependabilities

- Streamflow is fed by direct runoff and there is negligible amount of storage in the basin.
- Also there is marked variability in flows because of rise in temperature.
- The flow historically exceeded 60% of the time (3.2 m<sup>3</sup>/s in 1998) would be exceeded 70% of the time under a warming of 2°C.

The flow exceeded 80% of the time would increase by 2% when rainfall is increased by 10% and would decrease by 8% when rainfall is decreased by 10%.

Under different rainfall scenarios - rainfall influences low flows more in comparison to high flows

#### Major tributaries of the Ganga and their flow contribution



- Only about 7% of the basin up to Devprayag is glacier-fed.
- Snow and glacier melt contribute only 29% to the annual flow at Devprayag.
- At Devprayag, the average annual flow is about 22,000 MCM. This means that the average snow + glacier contribution at Devprayag is about 6380 MCM.
- More than 70% of the flow at Haridwar is due to rainfall and the river has significant amount of baseflow downstream of Haridwar.
- Possibility of the Ganga becoming a seasonal river downstream of Haridwar in the near future is low.
• Among the tributaries of the Ganga, Yamuna River contributes about 61% of the total flow at Allahabad, and just 16% comes from Haridwar.

• Four mighty rivers join the Ganga in Bihar: Ghaghara, Gandak, Kosi and Sone. The contribution of these four rivers is 246,740 MCM, which is 1.62 times the flow at Allahabad.

•Note that the average annual flow at Patna is about 364,000 MCM, which is nearly 17 times the flow at Devprayag.

•Besides Gangotri, other glaciers in the headwaters region of Alaknanda, Yamuna, Ghaghara, Kosi, etc. also contribute to the flow in the Ganga. •No doubt Gangotri glacier is shrinking, but it is not going to disappear anytime soon.

•Its retreat will no doubt effect the flow but will not have a drastic influence on the flow of Ganga River as is projected.

•The flow regimes are likely to change; interannual variability in flows will likely increase and reliability of flows in the late summer period will likely decrease due to the lowering of the buffering effect of glacier melt

## **CONCLUDING REMARKS**

- Data collected near the snout used for Modelling
- Model Efficiency would increase if the Radiation Data is used
- Need to correlate the Glacier Retreat with Discharge
- GCM Output need to be Down Scaled and Hydrological Modelling to be carried out for Climate Change

## **WinSRM**

